

**Goryunov, V. V.**

**The intersection form of a plane isolated line singularity.** (English) Zbl 0745.32018

Singularity theory and its applications. Pt. I: Geometric aspects of singularities, Proc. Symp., Warwick/UK 1988-89, Lect. Notes Math. 1462, 172-184 (1991).

[For the entire collection see [Zbl 0723.00028](#).]

For isolated critical points of a real analytic function  $f : (\mathbb{R}^2, 0) \rightarrow (\mathbb{R}, 0)$ , the intersection matrices of the vanishing cycles (for the complexification) are obtained by *A. M. Gabrielov* [Funct. Anal. Appl. 7(1973), 182-193 (1974); translation from Funkts. Anal. Prilozh. 7, No. 3, 18-32 (1973; [Zbl 0288.32011](#))] and *S. M. Gusein-Zade* [Funct. Anal. Appl. 8, 10-13 (1974); translation from Funkts. Anal. Prilozh. 8, No. 1, 11-15 (1974; [Zbl 0304.14009](#))]. In the paper under review, the case of isolated line singularities (in the sense of Siersma) is treated, extending the method of Gusein-Zade.

Reviewer: [M.Roczen \(Berlin\)](#)

**MSC:**

- [32S30](#) Deformations of complex singularities; vanishing cycles
- [14H20](#) Singularities of curves, local rings
- [32S05](#) Local complex singularities
- [14F25](#) Classical real and complex (co)homology in algebraic geometry
- [14C15](#) (Equivariant) Chow groups and rings; motives
- [57R70](#) Critical points and critical submanifolds in differential topology
- [57R45](#) Singularities of differentiable mappings in differential topology

Cited in 1 Document

**Keywords:**

[isolated line singularity](#); [vanishing cycles](#); [intersection form](#)