Komeda, Jiryo
On the existence of Weierstrass points whose first non-gaps are five. (English) ┃ Zbl 0770.30038 ┃
Manuscr. Math. 76, No. 2, 193-211 (1992).

Let H be a cofinite subsemigroup of the additive semigroup $\mathbb{N}$, with a, the least member of H. The author shows that, if $a = 5$, there exists a compact Riemann surface X and a point P on X, such that H is the semigroup of non-gaps at P. In an earlier paper [J. Reine Angew. Math. 341, 68-86 (1983; Zbl 0498.30053)] the author had developed algebraic criteria for the existence of curves with prescribed non-gaps. There the related problem for $a = 4$ was solved and here some extensions are given which enable the case $a = 5$ to be solved.

Reviewer: C.Maclachlan (Aberdeen)

MSC:

30F10	Compact Riemann surfaces and uniformization
14H55	Riemann surfaces; Weierstrass points; gap sequences

Cited in **1** Review
Cited in **8** Documents

Keywords:

Weierstrass points; algebraic curve; gaps

Full Text: DOI EuDML

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