**Gebhardt, Albrecht**

**On types of fuzzy numbers and extension principles.** (English) Zbl 0864.26010

Fuzzy Sets Syst. 75, No. 3, 311-318 (1995).

A real function $f$ often is fuzzified into a fuzzy function $F$ in such a way that the arguments of $F$ become fuzzy numbers and its values are determined from $f$ via the extension principle $EP$. In general, $EP$ depends on a $t$-norm $T$. Restricting furthermore the input fuzzy numbers to symmetric $LR$-fuzzy numbers with $L = R$, the fuzzification of $f$ depends of the pair $(L, T)$.

The author discusses the problem whether different such fuzzifications may yield the same fuzzy function $F$.

Reviewer: S.Gottwald (Leipzig)

**MSC:**

26E50 Fuzzy real analysis
94D05 Fuzzy sets and logic (in connection with information, communication, or circuits theory)



**Keywords:**

fuzzy functions; $t$-norm; extension principle; fuzzy numbers

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**References:**

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