

Lions, J. L.

Remarks on some nonlinear evolution problems arising in Bingham flows. Proc. internat. Sympos. partial diff. Equ. Geometry normed lin. Spaces I. (English) [Zbl 0252.35055](#)
Isr. J. Math. 13, 155-172 (1972).

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MSC:

35B45 A priori estimates in context of PDEs

35Q99 Partial differential equations of mathematical physics and other areas of application

35Q30 Navier-Stokes equations

76A05 Non-Newtonian fluids

76A10 Viscoelastic fluids

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