

Kinderlehrer, David

How a minimal surface leaves an obstacle. (English) Zbl 0268.49050
Acta Math. 130, 221-242 (1973).

For a scan of this review see the [web version](#).

MSC:

- 49Q05** Minimal surfaces and optimization
- 53A10** Minimal surfaces in differential geometry, surfaces with prescribed mean curvature
- 35J99** Elliptic equations and elliptic systems

Cited in **15** Documents

Full Text: [DOI](#)

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