

Osborn, John E.

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MSC:

- [35P15](#) Estimates of eigenvalues in context of PDEs
- [65M99](#) Numerical methods for partial differential equations, initial value and time-dependent initial-boundary value problems
- [65N99](#) Numerical methods for partial differential equations, boundary value problems
- [65N15](#) Error bounds for boundary value problems involving PDEs
- [15A18](#) Eigenvalues, singular values, and eigenvectors
- [47A15](#) Invariant subspaces of linear operators
- [65N25](#) Numerical methods for eigenvalue problems for boundary value problems involving PDEs
- [65N30](#) Finite element, Rayleigh-Ritz and Galerkin methods for boundary value problems involving PDEs

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