

Gurarie, David

Banach uniformly continuous representations of Lie groups and algebras. (English)

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MSC:

22D12 Other representations of locally compact groups

22E60 Lie algebras of Lie groups

17B15 Representations of Lie algebras and Lie superalgebras, analytic theory

Cited in **3** Documents

Keywords:

representations on Banach spaces; bounded, uniformly continuous and topologically irreducible representation

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