

Baksalary, J. K.; Kala, R.

The matrix equation $AXB+CYD=E$. (English) Zbl 0437.15005
Linear Algebra Appl. 30, 141-147 (1980).

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MSC:

[15A24](#) Matrix equations and identities
[15A09](#) Theory of matrix inversion and generalized inverses

Cited in **46** Documents

Keywords:

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