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Ordered groups. (English) Zbl 0519.06014
J. Sov. Math. 23, 2627-2642 (1983).

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MSC:

- 06F15 Ordered groups
- 06-02 Research exposition (monographs, survey articles) pertaining to ordered structures
- 06F20 Ordered abelian groups, Riesz groups, ordered linear spaces
- 20F60 Ordered groups (group-theoretic aspects)
- 22A05 Structure of general topological groups

Cited in 1 Document

Keywords:

survey; linearly ordered groups; right ordered groups; lattice ordered groups; complete l-groups; varieties of l-groups; lattice of varieties; radical classes; automorphisms of l-groups; Riesz groups

Full Text: [DOI](#)

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