

**Bell, Murray; Ginsburg, John**

**Compact spaces and spaces of maximal complete subgraphs.** (English) Zbl 0554.54009  
*Trans. Am. Math. Soc.* 283, 329-338 (1984).

Let  $G$  be a graph and let  $M(G)$  denote the collection of all maximal complete subgraphs of  $G$ . The set  $M(G)$  is topologized by considering it to be a subspace of the power set of  $G$  equipped with the usual product topology. The main question is the following: Which compact spaces can be represented as  $M(G)$  for some graph  $G$ ? The answer to this question is: precisely those that have a binary subbase for the closed sets consisting of clopen sets. An example is presented that this class of spaces does not coincide with the class of all zero-dimensional supercompact spaces.

Reviewer: [J.van Mill](#)

**MSC:**

[54D30](#) Compactness

Cited in **22** Documents

**Keywords:**

space of all maximal complete subgraphs; binary subbase; zero-dimensional supercompact spaces

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**References:**

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