

[Saralegui, M.](#)

The Euler class for flows of isometries. (English) Zbl 0651.57018

Differential geometry, Proc. 5th Int. Colloq., Santiago de Compostela/Spain 1984, Res. Notes Math. 131, 220-227 (1985).

[For the entire collection see [Zbl 0637.00004](#).]

A flow of isometries is defined as a 1-dimensional orientable Riemannian foliation \mathcal{F} on a compact manifold M for which there exists a Riemannian metric g on M and a unit vector field Z tangent to \mathcal{F} generating a group of isometries (ψ_t) , $t \in \mathbb{R}$. The Euler class of \mathcal{F} is shown to vanish when (M, \mathcal{F}) is a foliated bundle and to be non-zero when \mathcal{F} is a contact flow (i.e. when there exists a contact form ω on M such that the unique vector field Y on M defined by $\omega(Y) = 1$ and $d\omega(Y, \cdot) = 0$ is tangent to \mathcal{F}).

Reviewer: [P.Walczak](#)

MSC:

- [57R30](#) Foliations in differential topology; geometric theory
- [57R20](#) Characteristic classes and numbers in differential topology
- [53C12](#) Foliations (differential geometric aspects)
- [57R15](#) Specialized structures on manifolds (spin manifolds, framed manifolds, etc.)

Cited in **3** Reviews
Cited in **4** Documents

Keywords:

[flow of isometries](#); [1-dimensional orientable Riemannian foliation](#); [Euler class](#); [foliated bundle](#); [contact flow](#)