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Robot motion planning: a wild case. (English. Russian original) [Zbl 1138.70316](#)

Proc. Steklov Inst. Math. 250, 56-69 (2005); translation from Tr. Mat. Inst. Steklova 250, 64-78 (2005).

Summary: A basic problem in robotics is a constructive motion planning problem: given an arbitrary (nonadmissible) trajectory Γ of a robot, find an admissible ε -approximation (in the sub-Riemannian (SR) sense) $\gamma(\varepsilon)$ of Γ that has the minimal sub-Riemannian length. Then, the (asymptotic behavior of the) sub-Riemannian length $L(\gamma(\varepsilon))$ is called the metric complexity of Γ (in the sense of Jean). We have solved this problem in the case of an SR metric of corank 3 at most. For coranks greater than 3, the problem becomes much more complicated. The first really critical case is the 4-10 case (a four-dimensional distribution in \mathbb{R}^{10}). Here, we address this critical case. We give partial but constructive results that generalize, in a sense, the results of our previous papers.

For the entire collection see [\[Zbl 1116.37001\]](#).

MSC:

[70E60](#) Robot dynamics and control of rigid bodies

[53C17](#) Sub-Riemannian geometry

[70G45](#) Differential geometric methods (tensors, connections, symplectic, Poisson, contact, Riemannian, nonholonomic, etc.) for problems in mechanics

[93C10](#) Nonlinear systems in control theory

Cited in **2** Documents

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