

**Sullivan, D.**

**The Dirichlet problem at infinity for a negatively curved manifold.** (English) Zbl 0541.53037  
*J. Differ. Geom.* 18, 723-732 (1983).

Let  $M$  be a simply connected Riemannian manifold with sectional curvature bounded between two negative constants. The author uses probability theory to prove that each continuous function on the sphere at infinity  $\partial\bar{M}$  has a continuous harmonic extension to  $M \cup \partial\bar{M}$ . As a consequence it follows that there are many non-constant bounded harmonic functions on  $M$ . This result was proved independently by *M. T. Anderson* by a different method [see the preceding review].

Reviewer: [G.Thorbergsson](#)

**MSC:**

[53C20](#) Global Riemannian geometry, including pinching  
[31C05](#) Harmonic, subharmonic, superharmonic functions on other spaces

Cited in **5** Reviews  
Cited in **66** Documents

**Keywords:**

[Dirichlet problem at infinity](#); [probability on Riemannian manifolds](#); [harmonic functions](#)

**Full Text:** [DOI](#)