

**Liggett, Thomas M.; Vandenberg-Rodes, Alexander**

**Stability on  $\{0, 1, 2, \dots\}^S$ : birth-death chains and particle systems.** (English) [Zbl 1278.60144](#)  
Brändén, Petter (ed.) et al., Notions of positivity and the geometry of polynomials. Dedicated to the memory of Julius Borcea. Basel: Birkhäuser (ISBN 978-3-0348-0141-6/hbk; 978-3-0348-0142-3/ebook). Trends in Mathematics, 311-329 (2011).

Authors' abstract: A strong negative dependence property for measures on  $\{0, 1\}^n$ -stability was recently developed in [*J. Borcea* et al., *J. Am. Math. Soc.* 22, No. 2, 521–567 (2009; [Zbl 1206.62096](#))], by considering the zero set of the probability generating function. We extend this property to the more general setting of reaction-diffusion processes and collections of independent Markov chains. In one dimension the generalized stability property is now independently interesting, and we characterize the birth-death chains preserving it.

For the entire collection see [[Zbl 1222.00033](#)].

Reviewer: [Mihai Gradinaru \(Rennes\)](#)

**MSC:**

- [60K35](#) Interacting random processes; statistical mechanics type models; percolation theory
- [33C45](#) Orthogonal polynomials and functions of hypergeometric type (Jacobi, Laguerre, Hermite, Askey scheme, etc.)
- [60G50](#) Sums of independent random variables; random walks
- [60J80](#) Branching processes (Galton-Watson, birth-and-death, etc.)
- [62H20](#) Measures of association (correlation, canonical correlation, etc.)

**Keywords:**

[stable polynomials](#); [birth-death chain](#); [negative association](#); [reaction-diffusion processes](#)

**Full Text:** [DOI](#) [arXiv](#)