Andersen, Brooke M.; **Kach, Asher M.**; **Melnikov, Alexander G.**; **Solomon, Reed**
Jump degrees of torsion-free abelian groups. (English) Zbl 1273.03142
J. Symb. Log. 77, No. 4, 1067-1100 (2012).

Summary: We show, for each computable ordinal α and degree $\mathbf{a} > \mathbf{0}^{(\alpha)}$, the existence of a torsion-free abelian group with proper α^{th} jump degree $\mathbf{a}$.

MSC:

03D45 Theory of numerations, effectively presented structures
20K15 Torsion-free groups, finite rank
20K20 Torsion-free groups, infinite rank

Keywords:

torsion-free abelian group; jump degree

Full Text: DOI Euclid

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