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SMCHR: satisfiability modulo constraint handling rules. (English) Zbl 1260.68059
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Summary: Constraint handling rules (CHRs) are a high-level rule-based programming language for specification and implementation of constraint solvers. CHR manipulates a global store representing a flat conjunction of constraints. By default, CHR does not support goals with a more complex propositional structure including disjunction, negation, etc., or CHR relies on the host system to provide such features.

In this paper we introduce satisfiability modulo constraint handling rules (SMCHR): a tight integration of CHR with a modern Boolean satisfiability (SAT) solver for quantifier-free formulae with an arbitrary propositional structure. SMCHR is essentially a satisfiability modulo theories (SMT) solver where the theory T is implemented in CHR. The execution algorithm of SMCHR is based on lazy clause generation, where a new clause for the SAT solver is generated whenever a rule is applied. We shall also explore the practical aspects of building an SMCHR system, including extending a “built-in” constraint solver supporting equality with unification and justifications.

MSC:

[68N17](#) Logic programming

Cited in 1 Document

Keywords:

[CHR](#); [satisfiability modulo theories](#); [lazy clause generation](#)

Software:

[SMCHR](#)

Full Text: [DOI](#)

References:

- [1] Een, Proceedings of the Sixth International Conference on Theory and Applications of Satisfiability Testing (2003)
- [2] DOI: [10.1007/978-3-540-92243-8_3](#) · [Zbl 1229.68025](#) · doi:[10.1007/978-3-540-92243-8_3](#)
- [3] Duck, International Conference on Logic Programming pp 90– (2004) · doi:[10.1007/978-3-540-27775-0_7](#)
- [4] DOI: [10.1017/S1471068411000494](#) · [Zbl 1244.68023](#) · doi:[10.1017/S1471068411000494](#)
- [5] Holzbaur, Proceedings of 1992 International Symposium on Programming Language Implementation and Logic Programming pp 260– (1992)
- [6] DOI: [10.1016/S0743-1066\(96\)00065-9](#) · [Zbl 0877.68020](#) · doi:[10.1016/S0743-1066\(96\)00065-9](#)
- [7] DOI: [10.1007/10704567_7](#) · doi:[10.1007/10704567_7](#)
- [8] DOI: [10.1017/S1471068409990123](#) · [Zbl 1186.68096](#) · doi:[10.1017/S1471068409990123](#)
- [9] Sarna-Starosta, Proceedings of the 5 pp 3– (2008)
- [10] DOI: [10.1007/s10601-008-9064-x](#) · [Zbl 1192.68654](#) · doi:[10.1007/s10601-008-9064-x](#)
- [11] Demoen, Proceedings of the Sixteenth International Conference on Logic Programming pp 260– (1999)
- [12] DOI: [10.1145/1217856.1217859](#) · [Zbl 1326.68164](#) · doi:[10.1145/1217856.1217859](#)
- [13] DOI: [10.1145/1995376.1995394](#) · doi:[10.1145/1995376.1995394](#)
- [14] DOI: [10.1002/spe.4380180902](#) · doi:[10.1002/spe.4380180902](#)

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