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**A note on local interior regularity of a suitable weak solution to the Navier-Stokes problem.**

(English) [Zbl 1260.35125](#)

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Summary: We formulate a criterion which guarantees a local regularity of a suitable weak solution  $v$  to the Navier-Stokes equations (in the sense of *L. Caffarelli*, *R. Kohn* and *L. Nirenberg* [*Commun. Pure Appl. Math.* 35, 771–831 (1982; [Zbl 0509.35067](#)])). The criterion shows that if  $(x_0, t_0)$  is a singular point of solution  $v$  then the  $L^3$ -norm of  $v$  concentrates in an amount greater than or equal to some  $\epsilon > 0$  in an arbitrarily small neighbourhood of  $x_0$  at all times  $t$  in some left neighbourhood of  $t_0$ . As a partial result, we prove that a localized solution satisfies the strong energy inequality.

**MSC:**

[35Q30](#) Navier-Stokes equations

[76D03](#) Existence, uniqueness, and regularity theory for incompressible viscous fluids

[76D05](#) Navier-Stokes equations for incompressible viscous fluids

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Navier-Stokes equations; suitable weak solution; regularity

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