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Abelian cocycles for nonsingular ergodic transformations and the genericity of type III_1 transformations. (English) Zbl 0623.58010
Monatsh. Math. 103, 187-205 (1987).

The authors prove that in the space of nonsingular transformations of a Lebesgue probability space the type III_1 ergodic transformations form a dense G_δ set with respect to the coarse topology. They also prove that for any locally compact second countable abelian group H , and any ergodic type III transformation T , it is generic in the space of H -valued cocycles for the integer action given by T that the skew product of T with the cocycle is orbit equivalent to T . Similar results are given for ergodic measure-preserving transformations as well.

MSC:

37A99 Ergodic theory

Cited in 4 Documents

Keywords:

nonsingular transformations; probability space; ergodic transformations; skew product

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