

Shapiro, L. B.**On Baire isomorphisms of spaces of uncountable weight.** (English. Russian original)[Zbl 0632.54012](#)

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For a completely regular space X let $B_0(X)$ denote the σ -algebra of Baire subsets of X . A space X is called an absolute Baire space if $X \in B_0(\beta X)$. A mapping $f : X \rightarrow Y$ is said to be B_0 -measurable if $f^{-1}(B_0(Y)) \subset B_0(X)$. A one-to-one mapping $f : X \rightarrow Y$ of a space X onto a space Y is called a Baire isomorphism (briefly, a B_0 -isomorphism) if f and f^{-1} are B_0 -measurable mappings. We study the question of existence of a Baire isomorphism between Tikhonov cubes, on the one hand, and subsets of Dugundji and κ -metrizable compact Hausdorff spaces, on the other hand. The following theorem is the main result: Theorem. If X is homogeneous with respect to character and is a Baire subset of Dugundji space, then it is Baire isomorphic to $I^{\omega(X)}$. Corollary. A Dugundji space of weight τ that is homogeneous with respect to character is Baire isomorphic to I^τ .

MSC:

- 54C50 Topology of special sets defined by functions
- 54A25 Cardinality properties (cardinal functions and inequalities, discrete subsets)
- 54E52 Baire category, Baire spaces

Keywords:

absolute Baire space; Baire isomorphism; B_0 -measurable mappings; Tikhonov cubes; κ -metrizable compact Hausdorff spaces; character; Dugundji space; weight