

Považan, Jaroslav; Riečan, Beloslav**Fuzzy sets and small systems.** (English) [\[Zbl 1340.28021\]](#)

Brandts, J. (ed.) et al., Proceedings of the international conference ‘Applications of mathematics’, Prague, Czech Republic, May 15–17, 2013. In honor of the 70th birthday of Karel Segeth. Prague: Academy of Sciences of the Czech Republic, Institute of Mathematics (ISBN 978-80-85823-61-5). 185-187 (2013).

Summary: Independently with *L. A. Zadeh* [*Inf. Control* 8, 338–353 (1965; [Zbl 0139.24606](#))] a corresponding fuzzy approach has been developed in [*T. Neubrunn*, *Mat. Čas., Slovensk. Akad. Vied* 19, 202–215 (1969; [Zbl 0186.09801](#)); *B. Riečan*, *Mat.-Fyz. Čas., Slovensk. Akad. Vied* 16, 268–273 (1966; [Zbl 0174.34402](#)); *Mat. Čas., Slovensk. Akad. Vied* 19, 138–144 (1969; [Zbl 0193.00903](#))] with applications in measure theory. As one of the results, the Egorov theorem has been proved in an abstract form. In [*J. Li*, “Convergence theorems in monotone measure theory”, in: R. Mesiar (ed.) et al., *Non-classical measures and integrals, 34th Linz seminar on fuzzy sets theory*. 88–91 (2013)] a necessary and sufficient condition for holding the Egoroff theorem was presented in the case of a space with a monotone measure. By the help of [*J. Li* and *M. Yasuda*, *Fuzzy Sets Syst.* 153, No. 1, 71–78 (2005; [Zbl 1077.28015](#))] and [*B. Riečan* and *T. Neubrunn*, *Integral, measure, and ordering*. Dordrecht: Kluwer Academic Publishers (1997; [Zbl 0916.28001](#))] we prove a variant of the Egorov theorem stated in [[Zbl 0174.34402](#)].

For the entire collection see [[Zbl 1277.00032](#)].

MSC:[28E10](#) Fuzzy measure theory[28A20](#) Measurable and nonmeasurable functions, sequences of measurable functions, modes of convergence**Keywords:**[Egorov theorem](#); [fuzzy set](#); [measure theory](#); [monotone function](#)**Full Text:** [Link](#)