

Wang, Liyuan

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[11Y16](#) Number-theoretic algorithms; complexity
[11Y11](#) Primality

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[Korselt's criterion](#); [Korselt set](#); [Williams numbers](#); [prime number](#)

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