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Distributed one-stage Hessenberg-triangular reduction with wavefront scheduling. (English)

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15A18 Eigenvalues, singular values, and eigenvectors

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generalized eigenvalue problem; Hessenberg-triangular reduction; parallel algorithms; wavefront scheduling

Software:

ScaLAPACK

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