

**Filter, Wolfgang**

**Hypercompletions of Riesz spaces.** (English) Zbl 0716.46009  
Proc. Am. Math. Soc. 109, No. 3, 775-780 (1990).

This paper is a continuation of the paper “Hypercomplete Riesz spaces” by the same author [Atti Sem. Mat. Fis. Univ. Modena 38, 227-240 (1990; review above)]. It is shown that every Riesz space with separating order continuous order dual has a unique  $e$ -hypercompletion (with  $e$  a weak order unit in the extended order continuous order dual).

Reviewer: C.B.Huijsmans

**MSC:**

**46A40** Ordered topological linear spaces, vector lattices  
**06F20** Ordered abelian groups, Riesz groups, ordered linear spaces

Cited in **1** Review  
Cited in **3** Documents

**Keywords:**

Riesz space with separating order continuous order dual;  $e$ -hypercompletion; weak order unit; extended order continuous order dual

**Full Text:** [DOI](#)

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