

**Deeba, Elias Y.; Rodriguez, Dennis M.**

**Stirling's series and Bernoulli numbers.** (English) Zbl 0743.11012

Am. Math. Mon. 98, No. 5, 423-426 (1991).

For  $n = 2, 3, \dots$  the following infinite system of recurrences for the Bernoulli numbers  $B_m$  is shown:

$$B_m = \frac{1}{n(1 - n^m)} \sum_{k=0}^{m-1} n^k \binom{m}{k} B_k \sum_{j=1}^{n-1} j^{m-k}.$$

The proof follows by direct computations from the usual generating function of the Bernoulli numbers.

Reviewer: [R.F.Tichy \(Graz\)](#)

**MSC:**

[11B68](#) Bernoulli and Euler numbers and polynomials

[05A15](#) Exact enumeration problems, generating functions

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[infinite system of recurrences](#); [Bernoulli numbers](#); [generating function](#)

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