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The Riesz tensor product of d -algebras. (English) Zbl 07462250
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Summary: In this work we prove that the Riesz tensor product of two Archimedean d -algebras is again a d -algebra.

MSC:

06F25 Ordered rings, algebras, modules
15A69 Multilinear algebra, tensor calculus

Keywords:

tensor product; d -algebras; Riesz algebras

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