

**Hassell, Catherine; Rees, Elmer****The index of a constrained critical point.** (English) Zbl 0803.58012

Am. Math. Mon. 100, No. 8, 772-778 (1993).

Let  $M^n \subset \mathbb{R}^{n+m}$  be a smooth submanifold described as the common zero-set of  $m$  smooth real-valued functions  $g_1, \dots, g_m$  on  $\mathbb{R}^{n+m}$  and let  $f$  be a smooth function on  $\mathbb{R}^{n+m}$ . Defining  $L(x, \lambda) = f(x) + \lambda_1 g_1(x) + \dots + \lambda_m g_m(x)$  for  $x \in \mathbb{R}^{n+m}$  and  $\lambda = (\lambda_1, \dots, \lambda_m) \in \mathbb{R}^m$ , the authors compare the Hessians of  $f|_M$  and  $L$  for obtaining informations on the nature of critical points of  $f$  on  $M$ . There are given specific examples.

Reviewer: [D.Motreanu \(Iași\)](#)**MSC:****58E05** Abstract critical point theory (Morse theory, Lyusternik-Shnirel'man theory, etc.) in infinite-dimensional spaces**58E50** Applications of variational problems in infinite-dimensional spaces to the sciencesCited in **12** Documents**Keywords:**[Lagrange multiplier](#); [Hessian](#); [critical points](#)**Full Text:** [DOI](#)