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Frames and pseudo-inverses. (English) Zbl 0845.47002

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A family $\{f_i\}_{i \in I}$ in an infinite-dimensional Hilbert space \mathcal{H} is called a Bessel sequence if $\forall f \in \mathcal{H} \sum_{i \in I} |\langle f, f_i \rangle|^2 < \infty$. A Bessel sequence $\{f_i\}_{i \in I}$ is called a frame if

$$\exists A > 0 : A|f|^2 \leq \sum_{i \in I} |\langle f, f_i \rangle|^2, \quad \forall f \in \mathcal{H}.$$

There are studied connections between the frame theory and the theory of pseudo-inverse operators (i.e. Moore-Penrose inverses). According to the author, the frame theory is now a very useful tool in the wavelet theory.

Reviewer: [D.Przeworska-Rolewicz \(Warszawa\)](#)

MSC:

[47A05](#) General (adjoints, conjugates, products, inverses, domains, ranges, etc.)

[47A30](#) Norms (inequalities, more than one norm, etc.) of linear operators

[42C15](#) General harmonic expansions, frames

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Keywords:

[Bessel sequence](#); [frame](#); [pseudo-inverse operators](#); [Moore-Penrose inverses](#); [wavelet theory](#)

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