

**Christodoulou, Demetrios**

**Bounded variation solutions of the spherically symmetric Einstein-scalar field equations.**

(English) [Zbl 0853.35122](#)

*Commun. Pure Appl. Math.* 46, No. 8, 1131-1220 (1993).

The author gives a self-contained, comprehensive account of the spherically symmetric solutions of bounded variation of the Einstein equations

$$R_{\mu\nu} - \frac{1}{2}g_{\mu\nu}R = 2T_{\mu\nu},$$

where the energy tensor  $T_{\mu\nu}$  is that of a scalar field  $\phi$ , so that,

$$T_{\mu\nu} = \partial_\mu\phi\partial_\nu\phi - \frac{1}{2}g_{\mu\nu}\partial^\alpha\phi\partial_\alpha\phi.$$

Reviewer: [A.D.Osborne \(Keele\)](#)

**MSC:**

- [35Q75](#) PDEs in connection with relativity and gravitational theory
- [83C20](#) Classes of solutions; algebraically special solutions, metrics with symmetries for problems in general relativity and gravitational theory
- [53Z05](#) Applications of differential geometry to physics

Cited in **1** Review  
Cited in **70** Documents

**Keywords:**

spherically symmetric solutions of bounded variation; Einstein equations

**Full Text:** [DOI](#)

**References:**

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