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**The numbers of spanning trees of the cubic cycle  $C_n^3$  and the quadruple cycle  $C_n^4$ .** (English)

Zbl 0879.05036

Discrete Math. 169, No. 1-3, 293-298 (1997).

The paper considers the numbers of spanning trees of the cubic cycle  $C_n^3$  and the quadruple cycle  $C_n^4$ . In addition, two recursive relations are presented.

Reviewer: [W.-K.Chen \(Chicago\)](#)

**MSC:**

05C30 Enumeration in graph theory  
05C05 Trees  
05C38 Paths and cycles

Cited in **12** Documents

**Keywords:**

numbers of spanning trees; cycle

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**References:**

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