

**Klin, Mikhail; Rucker, Christoph; Rucker, Gerta; Tinhofer, Gottfried**

**Algebraic combinatorics in mathematical chemistry. Methods and algorithms. I: Permutation groups and coherent (cellular) algebras.** (English) [Zbl 1029.05151](#)

*Match* 40, 7-138 (1999).

Summary: Let  $(G, \Omega)$  be a permutation group of degree  $n$ . Let  $V(G, \Omega)$  be the set of all square matrices of order  $n$  which commute with all permutation matrices corresponding to permutations from  $(G, \Omega)$ .  $V(G, \Omega)$  is a matrix algebra which is called the centralizer algebra of  $(G, \Omega)$ . In this paper we introduce the combinatorial analogue of centralizer algebras, namely coherent (cellular) algebras and consider the properties of these algebras. It turns out that coherent algebras provide a very helpful tool for the investigation of the symmetries of graphs of different kinds, in particular, of molecular graphs.

**MSC:**

[05C90](#) Applications of graph theory

[92E10](#) Molecular structure (graph-theoretic methods, methods of differential topology, etc.)

Cited in **6** Documents

**Software:**

[nauty](#)