

**Kawamoto, Naoki; Mitsukawa, Atsushi; Nam, Ki-Bong; Wang, Moon-Ok**

**The automorphisms of generalized Witt type Lie algebras.** (English) Zbl 1038.17015  
J. Lie Theory 13, No. 2, 573-578 (2003).

Let  $\partial = \frac{d}{dx}$ ,  $F[x^\pm, e^{\pm x}] = F[x, x^{-1}, e^x, e^{-x}]$ , and let  $F[a_1, \dots, a_n]$  be a subalgebra of  $F[x^\pm, e^{\pm x}]$  generated by  $a_1, \dots, a_n$ . If  $F[a_1, \dots, a_n]$  is  $\partial$ -stable we put  $W[a_1, \dots, a_n] = \{f\partial \mid f \in F[a_1, \dots, a_n]\}$ . Then  $W[a_1, \dots, a_n]$  is a Lie algebra over  $F$  with the usual product

$$[f\partial, g\partial] = f\partial \circ g\partial - g\partial \circ f\partial = (f(\partial g) - (\partial f)g)\partial \quad (f, g \in F[a_1, \dots, a_n]).$$

In this paper, the authors show that the automorphism group of  $W[x, e^x]$  is isomorphic to  $F^* \times F$ , while the automorphism group of  $F[x, e^{\pm x}]$  is isomorphic to  $\mathbb{Z}/2\mathbb{Z} \times (F^* \times F)$ .

Reviewer: [Linsheng Zhu \(Jiangsu\)](#)

**MSC:**

[17B65](#) Infinite-dimensional Lie (super)algebras

[17B40](#) Automorphisms, derivations, other operators for Lie algebras and super algebras

Cited in **5** Documents

**Keywords:**

[automorphism](#); [generalized Witt type Lie algebra](#)

**Full Text:** [EuDML](#)