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The p -adic analytic space of pseudocharacters of a profinite group and pseudorepresentations over arbitrary rings. (English) [Zbl 1350.11063](#)

Diamond, Fred (ed.) et al., Automorphic forms and Galois representations. Proceedings of the 94th London Mathematical Society (LMS) – EPSRC Durham symposium, Durham, UK, July 18–28, 2011. Volume 1. Cambridge: Cambridge University Press (ISBN 978-1-107-69192-6/pbk; 978-1-107-44633-5/ebook). London Mathematical Society Lecture Note Series 414, 221-285 (2014).

Author’s abstract: Let G be a profinite group which is topologically finitely generated, p a prime number and $d \geq 1$ an integer. We show that the functor from rigid analytic spaces over \mathbb{Q}_p , to sets, which associates to a rigid space Y the set of continuous d -dimensional pseudocharacters $G \rightarrow \mathcal{O}(Y)$, is representable by a quasi-Stein rigid analytic space X , and we study its general properties.

Our main tool is a theory of determinants extending the one of pseudocharacters but which works over an arbitrary base ring; an independent aim of this chapter is to expose the main facts of this theory. The moduli space X is constructed as the generic fiber of the moduli formal scheme of continuous formal determinants on G of dimension d .

As an application to number theory, this provides a framework to study rigid analytic families of Galois representations (e.g., eigenvarieties) and generic fibers of pseudodeformation spaces (especially in the “residually reducible” case, including when $p \leq d$).

For the entire collection see [\[Zbl 1310.11002\]](#).

Reviewer: [Andrzej Dąbrowski \(Szczecin\)](#)

MSC:

- [11F80](#) Galois representations
- [22E50](#) Representations of Lie and linear algebraic groups over local fields
- [14G22](#) Rigid analytic geometry
- [13A99](#) General commutative ring theory
- [11F85](#) p -adic theory, local fields

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Keywords:

[rigid analytic spaces](#); [determinants](#); [Galois representations](#); [eigenvarieties](#)