

[de Werra, D.](#)

Variations on the theorem of Birkhoff-von Neumann and extensions. (English) [Zbl 1412.05066](#)
Rusu, Irena (ed.), Proceedings of the 6th international conference on graph theory, Marseille-Luminy, France, August 28–September 2, 2000. Amsterdam: Elsevier. Electron. Notes Discrete Math. 5, 97-99 (2000).

From the text: The theorem of Birkhoff-von Neumann (see [*C. Berge*, Graphes. 3rd ed. Paris: Gauthier-Villars, Bordas (1983; [Zbl 0531.05031](#)))] on the decomposition of bistochastic matrices (i.e., matrix with nonnegative entries and all row sums and column sums equal to one) has found various applications in scheduling; it is in particular a basic tool in the two-phase method of the preemptive scheduling problem on various machines with different capacities (see [*E. L. Lawler* and *J. Labetoulle*, J. Assoc. Comput. Mach. 25, 612–619 (1978; [Zbl 0388.68027](#)); *D. de Werra*, SIAM J. Algebraic Discrete Methods 5, 11–20 (1984; [Zbl 0532.90047](#)); Eur. J. Oper. Res. 37, No. 2, 227–235 (1988; [Zbl 0652.90064](#))]).

We shall consider here some simple variations of this result where we remove the sign restrictions; extensions of permutation matrices will be considered and we will use elementary graph-theoretical arguments to derive some of these variations.

For the entire collection see [[Zbl 0974.00033](#)].

MSC:

- [05C15](#) Coloring of graphs and hypergraphs
- [90B35](#) Deterministic scheduling theory in operations research
- [68M20](#) Performance evaluation, queueing, and scheduling in the context of computer systems

Cited in **1** Document

Keywords:

[preemptive scheduling](#)

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